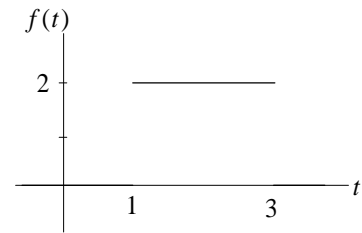


1.[4] Laplace $f(t)$
 $F(s)$
 (a) $f(t) = e^{-2t+3}$ (b) $f(t) = t^3$

2.[4] $H(t)$
 $H(t) = 0 \quad t < 0$
 $1 \quad t > 0$
 (a) $f(t)$

 (b) $f(t)$
 $F(s)$

3.[4] input $f(t)$ output $y(t)$
 $\frac{d^2y(t)}{dt^2} + a \frac{dy(t)}{dt} + by(t) = f(t)$
 $a \quad b$

(a) Laplace
 $L\{y(t)\} = Y(s), L\{f(t)\} = F(s)$
 (b) $y(0) = 0, y'(0) = 0$
 transfer function, $\frac{Y(s)}{F(s)}$

4.[4] Laplace $X(s)$ 가
 $X(s) = \frac{2s+1}{s^3(s+2)}$
 (a) $X(s)$
 (b) $X(s)$ Laplace $x(t)$

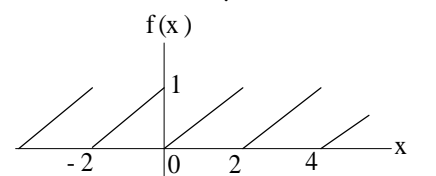
 $L^{-1}\{\frac{a}{s^2+a^2}\} = \sin at, \quad L^{-1}\{\frac{s}{s^2+a^2}\} = \cos at$
 $L^{-1}\{\frac{a}{s^2-a^2}\} = \sinh at, \quad L^{-1}\{\frac{s}{s^2-a^2}\} = \cosh at$

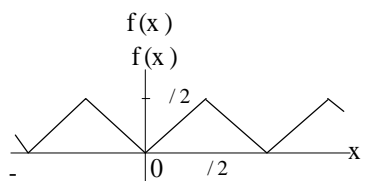
5.[4] Laplace
 $y'' + 9y = (t - \frac{\pi}{2}), y(0) = 1, y'(0) = 2$

1.[4] $[-,]$ 가
 $f(x) = \sin 2x, g(x) = \cos 2x$
 (a) 가
 (b)

2.[6] (Legendre)
 (self-adjoint)
 $y'' - \frac{2x}{1-x^2}y' + \frac{\mu(\mu+1)}{1-x^2}y = 0$
 (b) (Sturm-Liouville)
 $y'' + y = 0, y'(0) = 0, y'(\quad) = 0$

3.[5] $[a,b]$ 가
 $[p(x)y'(x)]' + y(x) = 0$
 $y(a) = 0, y'(b) = 0$
 $y_m(x), y_n(x)$

4.[6] (Fourier)


5.[5] (Fourier)
 $[0,]$
 $f_e(x)$
 $f(x) = x \quad (0 < x < /2)$
 $-x \quad (/2 < x <)$


 (Fourier)
 $f(x) = \int_0^\infty [a(\lambda) \cos \lambda x + b(\lambda) \sin \lambda x] d\lambda$
 $a(\lambda) = \frac{1}{\pi} \int_{-\infty}^\infty f(x) \cos \lambda x dx, \quad b(\lambda) = \frac{1}{\pi} \int_{-\infty}^\infty f(x) \sin \lambda x dx$

6.[4] (cosine)
 (sine)
 $f(x) = x^2 \quad (0 < x < 1)$
 $0 \quad (x > 1)$